

# Decoupling Two-Dimensional NMR Spectroscopy in Both Dimensions: Pure Shift NOESY and COSY\*\*

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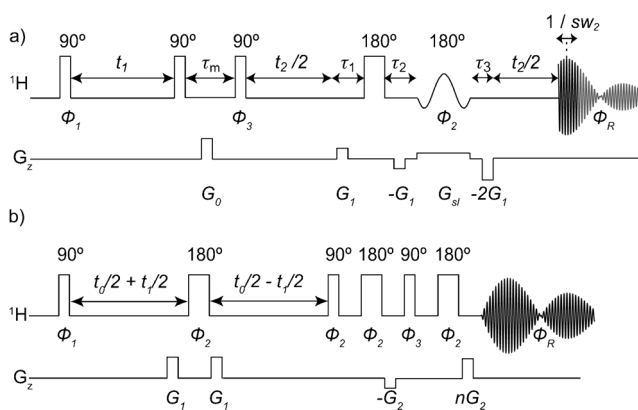
Spectral assignment is a crucial step in the analysis of chemical structure by NMR spectroscopy, but is often limited by signal overlap. If the multiplet structure caused by spin–spin coupling is suppressed, spectral resolution can be greatly increased, and the process of assignment correspondingly simplified. Collapsing a multiplet to a single “pure shift” peak can be achieved using a variety of methods, as has been demonstrated in 1D NMR spectroscopy, and in one dimension of several different homonuclear 2D experiments.<sup>[1–10]</sup> Recently, it has been shown that applying covariance processing to a TOCSY dataset decoupled in one dimension gives a fully decoupled 2D spectrum.<sup>[11]</sup> Previous routes to fully decoupled 2D spectra have used pattern recognition postprocessing applied to conventional, fully coupled 2D data.<sup>[12–14]</sup> The considerably increased resolution in, and simplicity of, fully decoupled 2D spectra makes them particularly attractive for automated structure elucidation.

Here we compare two different decoupling methods, illustrating the very general nature, and potential for resolution gain, of pure shift covariance NMR spectroscopy, by applying different single decoupling methods to the NOESY and *n*QF-COSY experiments, producing doubly pure shift 2D spectra by covariance processing. Using pure shift acquisition for one spectral dimension greatly improves resolution, collapsing multiplet structure to singlets, whereas the use of covariance processing gives a further gain in interpretability by condensing the correlation information into 2D singlets.

Methods for achieving broadband homonuclear decoupling in 2D NMR spectroscopy include the Zangger–Sterk (ZS) experiment and its adaptations;<sup>[1–4]</sup> the Pell–Keeler (PK) 45° projection of phase-sensitive 2D-*J* data;<sup>[5]</sup> the “BIRD” (bilinear rotation decoupling) family of sequence elements;<sup>[6,7]</sup> and the “constant time” (CT) approach.<sup>[8–10]</sup> All such methods trade sensitivity for resolution, to a greater or lesser extent. The first three methods are appropriate for experiments that generate in-phase cross-peaks, whereas CT

can be used with both in-phase and anti-phase signals. Each has specific advantages; the ZS experiment allows a trade-off between sensitivity and decoupling range, the BIRD method can avoid problems with strong coupling,<sup>[6]</sup> PK projection allows *J* couplings to be measured in a third dimension, and constant time methods have particularly good sensitivity for medium-sized molecules.

As an example of the ZS method, a pure shift NOESY technique is shown in Figure 1 a, concatenating a conventional NOESY sequence with a ZS block in *t*<sub>2</sub> to produce decoupled



**Figure 1.** a) The pure shift NOESY pulse sequence. The delays  $\tau_1$ ,  $\tau_2$ , and  $\tau_3$  are chosen so that the *J*-evolution is refocused at the midpoint of the acquisition period, and,  $\delta$  at its beginning when  $t_1 = 0$ . b) The constant time multiple quantum-filtered CT-*n*QF-COSY pulse sequence; *n* = 2 for double quantum filtration. Phase cycles are summarized in the Supporting Information.

data in the *F*<sub>2</sub>' frequency dimension. Multiplying the data matrix for the singly decoupled spectrum *X* by its transpose (denoted by <sup>T</sup>) and taking the square root yields the covariance matrix or correlation spectrum *C* given in Equation (1).<sup>[15]</sup>

$$C = (XX^T)^{1/2} \quad (1)$$

Signals in *F*<sub>2</sub>' that share the same modulation as a function of *t*<sub>1</sub> will show a strong peak in the correlation spectrum, whereas those with different modulations will not. Both dimensions are now decoupled; the resolution in *F*<sub>1</sub> is equal to that in *F*<sub>2</sub>', and the number of *t*<sub>1</sub> increments need only be large enough to prevent the generation of spurious peaks from signal overlap in the *F*<sub>1</sub> domain.

Figure 2 a and b show, respectively, the conventional NOESY and singly pure shift NOESY 2D spectra of the antibiotic clarithromycin. The removal of multiplet structure

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[\*\*] This work was supported by the Engineering and Physical Sciences  
Research Council (grant numbers EP/H024336/1, EP/I007989/1,  
and EP/E05899X/1).

Supporting information for this article is available on the WWW  
under http://dx.doi.org/10.1002/anie.201108888

in  $F_2'$  makes the interpretation of the busier regions much simpler, whereas the consolidation of signal intensity means more cross-peaks are visible in Figure 2b. Covariance processing further simplifies the spectrum by removing the multiplet structure in  $F_1$  (see Figure 2c). Considerable effort has historically gone into eliminating through-bond zero-quantum cross-peaks from NOESY spectra.<sup>[16]</sup> Here the problem is bypassed, as the undesired anti-phase terms are collapsed to zero by the decoupling.

This approach is flexible and fairly general. The ZS sequence element may be replaced by the BIRD element if there is strong coupling, or the PK approach may be used to facilitate  $J$ -coupling measurements. However, none of these is directly compatible with experiments such as COSY that generate antiphase cross-peaks, because decoupling would cause signal cancellation. Using constant time decoupling in  $F_1$  avoids this problem, as in the constant time  $n$ QF-COSY experiment of Figure 1b, in which the constant time  $t_0$  is chosen to optimize coherence transfer for signals of interest. The result is an  $F_1$  pure shift experiment (Figure 2e), which can be combined with covariance processing in the same manner as above to yield the fully decoupled 2D spectrum of Figure 2f. Figure SI1 in the Supporting Information illustrates the power of the technique by comparing cross-peak patterns in a standard 2QF-COSY spectrum with the 2D-covariance CT-2QF-COSY version: 24 peaks collapse into a singlet. One advantage of using an  $F_1$  pure shift method is that the dimension in which the covariance calculation is carried out,  $t_2$  or  $F_2$ , is well-sampled and hence covariance artefacts caused by signal overlap are minimized.

The particular stimulus to the development of these techniques was the difficulty encountered in assigning the spectra of the flavonoids hesperidin and naringin, found naturally in citrus fruits (Scheme 1). These compounds are normally encountered as mixtures of the diastereomeric forms 2*S* and 2*R*, in proportions determined by the degree of ripeness of the fruit, and as a result show highly overlapping spectra. Such overlap is common in mixtures of chemically cognate species, for example, natural product extracts, and is particularly difficult to deal with. Because isomers, and in particular diastereomers, frequently show very similar chem-

ical shifts in regions that share the same stereochemistry, peaks tend to overlap in both 1D and 2D spectra.

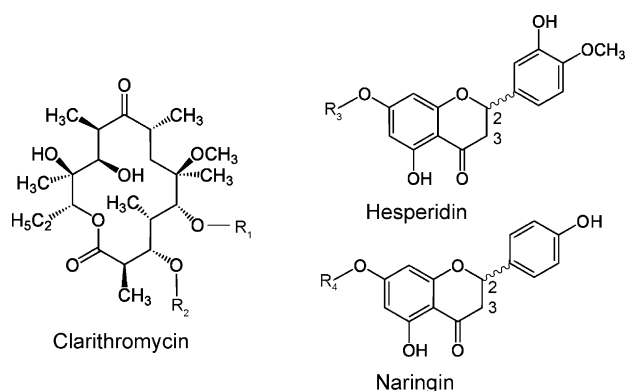
As a stringent test of the pure shift methodology, triple quantum COSY spectra of a mixture of hesperidin and naringin were measured. Figure 3 compares the cross-peaks between proton 2 and the more shielded of the two geminal protons 3 in the conventional 3QF-COSY, pure shift CT-3QF-COSY, and covariance processed pure shift CT-3QF-COSY spectra. The increase in resolution and interpretability afforded by the pure shift experiment and covariance processing, respectively, is clear. It would be extremely difficult to interpret Figure 3a. In principle all the requisite information for assignment is accessible in Figure 3b, which consists of four 2D multiplets which are antiphase doublets of doublets in  $F_2$  and singlets in  $F_1$ , but the structure of the set of four correlations is made immediately obvious by Figure 3c.

The appropriate choice of decoupling technique will depend on the problem at hand. The CT approach has an inherent sensitivity advantage over BIRD, ZS, and PK methods, as it does not rely on observing only a subset of spins. However, both phases and amplitudes of peaks depend on the spin system and on the constant time  $t_0$ . Hence where relative cross-peak signs are important (e.g. in NOESY), BIRD, ZS, or PK methods are preferable. For relatively sensitive experiments such as COSY, acquiring spectra with multiple  $t_0$  values can circumvent the problem. A further problem with CT- $n$ QF-COSY that is specific to covariance processing stems from the difference in structure between cross- and diagonal peaks, which can cause peaks to attenuate, or (rarely) even disappear, in the covariance spectrum. This can readily be detected by comparison with absolute value covariance or  $m \neq n$  quantum filtered data, or by comparing spectra acquired with different  $t_0$  values.

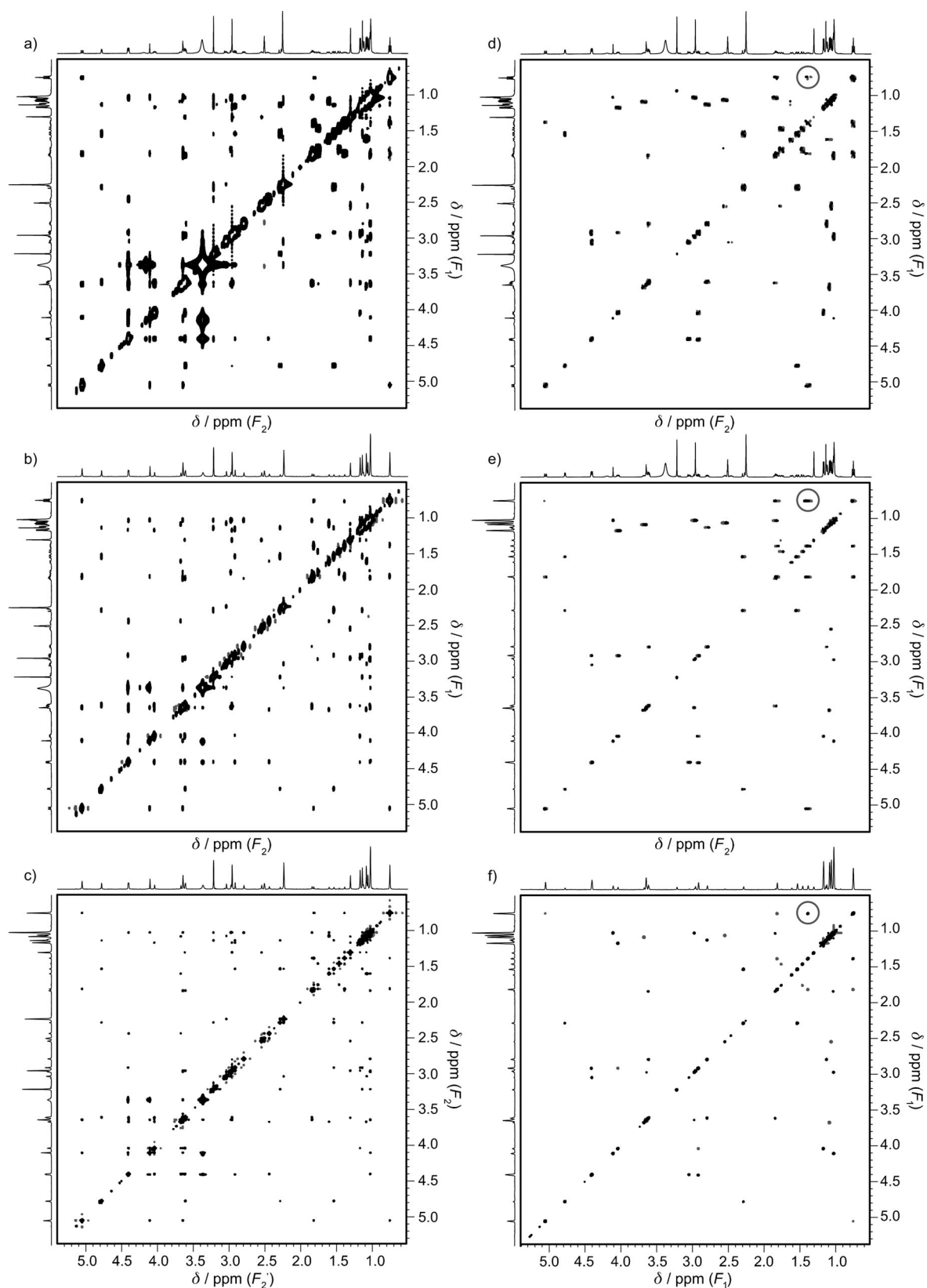
As the results for these two prototype experiments show, collapsing all multiplet structure in cross- and diagonal peaks to singlets greatly improves the accessible information content of spectra. Almost all common 2D NMR experiments can be adapted to use such decoupling methods. The generality of pure shift methods should be of considerable value in manual and automated structure determination alike. The choice of method will, as noted above, depend on the sample concentration and instrument sensitivity available. Where there is sufficient signal-to-noise ratio, either conventional or covariance<sup>[17,18]</sup> heteronuclear correlation methods are other possibilities, whereas in extreme cases using covariance processing to combine heteronuclear and pure shift homonuclear correlation would be particularly powerful.

## Experimental Section

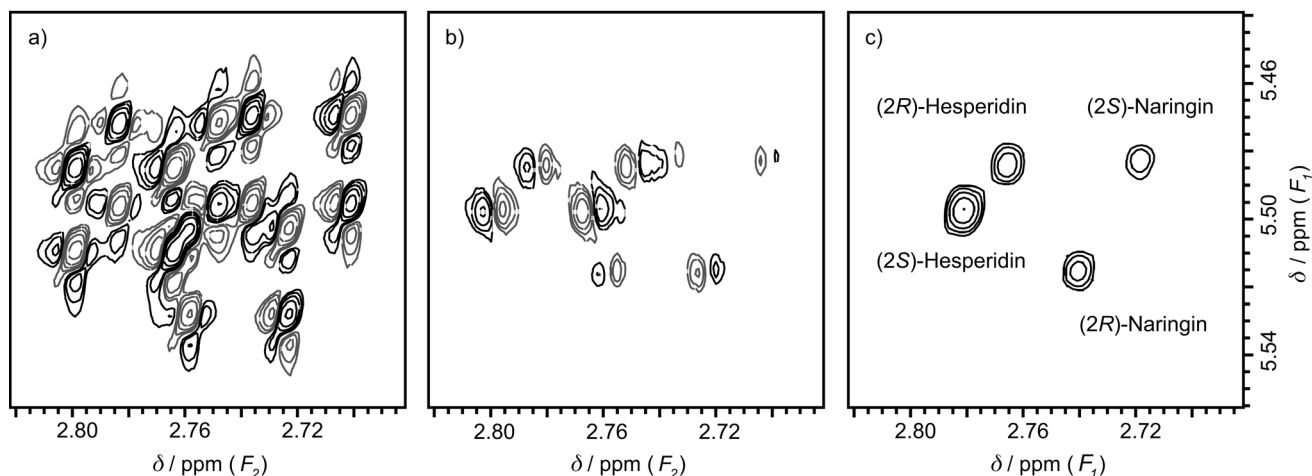
The NOESY and pure shift NOESY data of Figure 2a and b were acquired on a 500 MHz Varian VNMRs spectrometer using a 75 mm sample of clarithromycin in  $[D_6]$ dimethyl sulfoxide (DMSO). For both phase-sensitive NOESY datasets, two scans of 16384 complex data points were acquired for each of 128  $t_1$  increments, with spectral widths of 3500 Hz in both frequency dimensions. For the pure shift NOESY, 20 increments in  $t_2$  were used with a spectral width of 3500 Hz. The experiment times were 0.5 and 10.75 h, respectively. After assembly of the pure shift data using an in-house VNMRJ 2.2C macro, the data were imported to TopSpin 3.0 and adjusted to 4096 ×



**Scheme 1.** Clarithromycin ( $R_1$  = cladinose,  $R_2$  = desosamine), hesperidin (2*R* and 2*S*;  $R_3$  = rutinoside) and naringin (2*R* and 2*S*;  $R_4$  = neohesperidoside).



**Figure 2.** NOESY (a–c) and 2QF-COSY (d–f) spectra of clarithromycin in  $[D_6]DMSO$ : a) conventional NOESY, b) ZS pure shift NOESY, c) spectrum produced by covariance processing of dataset 2(b), d) conventional 2QF-COSY spectrum, e) CT-2QF-COSY, and f) covariance processing of dataset (e). Note the degree of simplification of (c) and (f) over (a) and (d). An expansion of the cross-peak circled is shown in the Supporting Information (SI1).



**Figure 3.** Expansions of the cross-peaks between proton 2 and the more shielded geminal proton 3 in a) 3QF-COSY and b) CT-3QF-COSY spectra obtained by conventional 2DFT, and c) CT-3QF-COSY covariance spectrum, for a mixture of (2R)-hesperidin, (2S)-hesperidin, (2R)-naringin, and (2S)-naringin in  $[D_6]DMSO$ . The full spectra and further expansions are shown in the Supporting Information (SI2), as are traces illustrating the approximate factor of 2 difference in signal-to-noise ratio between (a) and (b).

4096 points (zero filling in  $F_1$ , truncating in  $F_2$ ) for covariance processing. The phase-sensitive 2QF-COSY datasets of the same sample were acquired on a Bruker Avance II+ spectrometer with a spectral width of 2750 Hz, 1024  $t_1$  increments, a constant time  $t_0$  of 0.38 s and one scan per increment in 42 min. Covariance processing was performed in TopSpin 2.1 as above. The 3QF-COSY experiments of Figure 3 were performed on an equimolar sample of 53 mM hesperidin and naringin in  $[D_6]DMSO$  using the same Bruker spectrometer, with a spectral width of 1976 Hz, 1024  $t_1$  increments, a constant time  $t_0$  of 0.38 s, and two scans per increment in 127 min. Covariance processing was performed as above but with  $4096 \times 2048$  points.

Received: December 16, 2011

Revised: April 24, 2012

Published online: May 15, 2012

**Keywords:** COSY · NMR spectroscopy · NOESY · structure elucidation

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